A seasonal spatio-temporal model of summer flounder on the Northeast shelf

Charles Perretti¹, James Thorson² ¹NMFS, NEFSC, Woods Hole, MA ²NMFS, NWFSC, Seattle, WA CAPAM spatio-temporal workshop March 1st 2018

Summer flounder, a.k.a. fluke (Paralichthys dentatus)

- Most common recreationally caught flatfish on the East Coast
- Both commercial and recreational fishery is managed by state quota
- Allocation formulas are based on historical catch (and implicitly historical distribution)



credit: M. Terceiro, NMFS

2018 Summer flounder assessment

ToR 3: "Describe ... the stock's spatial distribution (for both juveniles and adults), including any changes over time. Describe factors related to productivity of the stock and any ecosystem factors influencing recruitment."

Objectives

- Is the spatial distribution of the stock changing over time?
- Are there differences between recruits and spawners?
- Are observed changes driven by environmental covariates, size-structure, or something else?

Research approach

- Fit a spatio-temporal model (VAST) to state & federal bottom trawl survey data.
- Why choose VAST?
 - Combining multiple surveys
 - Size-structure
 - Environmental covariates
 - Unexplained variation
 - <u>Seasonal</u> surveys

Data

- NEFSC bottom trawl survey (1976-2017)
- NEAMAP bottom trawl survey (2007-2017)
- MDMF bottom trawl survey (1976-2017, coming soon)
- Spring & Fall





Data

Define size categories as: Recruits: ≤ 30cm Spawners: ≥ 31cm

Individual weight was estimated using the an weight-length relationship (Wigley et al 2003): In W = In a + b In L

Model structure

 $\log(n_{i}) = \omega_{n}(s_{i}, c_{i}) + \gamma_{n}(t_{i}, c_{i}) + \epsilon_{n}(s_{i}, c_{i}, t_{i}) + \sum_{k=1}^{n_{k}} \alpha_{k, c_{i}} x_{k}(s_{i}, t_{i})$

Model structure

$$\log(n_{i}) = \omega_{n}(s_{i}, c_{i}) + \gamma_{n}(t_{i}, c_{i}) + \epsilon_{n}(s_{i}, c_{i}, t_{i}) + \sum_{k=1}^{n_{k}} \alpha_{k, c_{i}} x_{k}(s_{i}, t_{i})$$

$$+ \gamma_n(z_i, c_i) + \epsilon_n(s_i, c_i, z_i) + \sum_{k=1}^{n_k} \alpha_{k, c_i} x_k(s_i, z_i)$$

Season intercept

Seasonal spatiotemporal variation (GRF)

Seasonal covariate effect

Model structure

$$\log(n_{i}) = \omega_{n}(s_{i}, c_{i}) + \gamma_{n}(t_{i}, c_{i}) + \epsilon_{n}(s_{i}, c_{i}, t_{i}) + \sum_{k=1}^{n_{k}} \alpha_{k, c_{i}} x_{k}(s_{i}, t_{i})$$
$$+ \gamma_{n}(z_{i}, c_{i}) + \epsilon_{n}(s_{i}, c_{i}, z_{i}) + \sum_{k=1}^{n_{k}} \alpha_{k, c_{i}} x_{k}(s_{i}, z_{i})$$

Biomass per group

$$\log(w_{i}) = \omega_{w}(s_{i}, c_{i}) + \gamma_{w}(t_{i}, c_{i}) + \epsilon_{w}(s_{i}, c_{i}, t_{i}) + \sum_{k=1}^{n_{k}} \beta_{k, c_{i}} x_{k}(s_{i}, t_{i})$$

+ $\gamma_{w}(z_{i}, c_{i}) + \epsilon_{w}(s_{i}, c_{i}, z_{i}) + \sum_{k=1}^{n_{k}} \beta_{k, c_{i}} x_{k}(s_{i}, z_{i})$

Model setup





Fall encounter probability residuals





Fall catch rate residuals

Eastings

Spring encounter probability residuals





Spring catch

residuals

rate

Eastings







Seasonal patterns Recruits Fall

Spring





Spawners in Fall



Spawners in Spring



Recruits in Fall



Recruits in Spring



Fall

Spring



Center of gravity (Fall)



Center of gravity (Spring)



Fall change in center of gravity





Spring change in center of gravity



Fall

Spring





Preliminary takeaways & next steps

- Consistent evidence of a northward shift in both seasons and size-classes.
- Does not seem to be driven by sizestructure, or changes in total abundance.

 Next-- incorporate environmental covariates

Conceptual challenges

- Are we tracking the same fish in both seasons?
- Does it matter?
- Maybe not for a spatial model, but it might for a population model.
- Confounding between environmental covariates and exploitation patterns?

